#### CILC 2024

#### Preserving Privacy in a (Timed) Concurrent Language for Argumentation

Stefano Bistarelli, Maria Chiara Meo and Carlo Taticchi





#### Overview

- Abstract Argumentation Frameworks + Labelling
- Timed Concurrent Language for Argumentation
- Locality semantics
- Preserving Privacy in Multi-Agent Decision
- Conclusion & Future Work

### Abstract Argumentation

- Represent and evaluate arguments
- Abstract Argumentation Framework  $F = \langle Arg, R \rangle$



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- Argumentation Semantics (e.g. Labelling)



An argument is:

- IN if it only attacked by OUT
- OUT if it is attacked by at least one IN
- UNDEC otherwise

- Argumentation-based communication between concurrent agents sharing a common store
- Syntax:

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- We decrement the **timeout environment**  $T : \mathcal{I} \to \mathbb{N} \cup \{\infty\}$

 $T(\mathbf{I})$ 

#### True concurrency

$$\frac{\langle A_1, F, T \rangle \longrightarrow \langle A'_1, F', T_1 \rangle, \ \langle A_2, F, T \rangle \longrightarrow \langle A'_2, F'', T_2 \rangle}{\langle A_1 \parallel A_2, F, T \rangle \longrightarrow \langle A'_1 \parallel A'_2, *(F, F', F''), T_1 \cup T_2 \rangle}$$

• With  $(T_1 \cup T_2)(I) = \begin{cases} T_1(I) & \text{if } I \in dom(T_1) \\ T_2(I) & \text{otherwise} \end{cases}$ 

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- Alternative approach: interleaving

#### Addition & removal

 $\langle \operatorname{add}(\operatorname{Arg}', \operatorname{R}') \to A, \langle \operatorname{Arg}, \operatorname{R} \rangle, T \rangle \longrightarrow \langle A, \langle \operatorname{Arg} \cup \operatorname{Arg}', (\operatorname{R} \cup \operatorname{R}')_{\parallel (\operatorname{Arg} \cup \operatorname{Arg}')} \rangle, \operatorname{dec}(T) \rangle \\ \langle \operatorname{rmv}(\operatorname{Arg}', \operatorname{R}') \to A, \langle \operatorname{Arg}, \operatorname{R} \rangle, T \rangle \longrightarrow \langle A, \langle \operatorname{Arg} \setminus \operatorname{Arg}', (\operatorname{R} \setminus \operatorname{R}')_{\parallel (\operatorname{Arg} \setminus \operatorname{Arg}')} \rangle, \operatorname{dec}(T) \rangle$ 

• Example:  $add(\{a,b\},\{(a,b)\}) \rightarrow rmv(\{a\},\{\}) \rightarrow success;$ 

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#### Check

$$\begin{array}{l} Arg' \subseteq Arg \land R' \subseteq R, \ t > 0\\ \hline \langle check_t(Arg', R') \rightarrow A, F, T \rangle \longrightarrow \langle A, F, dec(T) \rangle\\ \hline \neg (Arg' \subseteq Arg \land R' \subseteq R), \ t > 0\\ \hline \langle check_t(Arg', R') \rightarrow A, F, T \rangle \longrightarrow \langle check_I(Arg', R') \rightarrow A, F, dec(T[I:t]) \rangle\\ & \text{where } I \text{ is a fresh timeout identifier} \end{array}$$

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- Test semantics are similar to the check one but for the conditions to satisfy
- Credulous test:  $\exists L \in \mathscr{L}_{\sigma}^{F} \mid L(a) = l$
- Sceptical test:  $\forall L \in \mathscr{L}_{\sigma}^{F} \mid L(a) = l$



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- Sceptical test:  $\forall L \in \mathscr{L}_{\sigma}^{F} \mid L(a) = l$
- Example: ctest(2,{b},IN,complete) / stest(2,{s},IN,complete)



#### Locality semantics

 $\frac{\langle A, (AF \uparrow S) \cup AF_{loc}, T \rangle \longrightarrow \langle \mathsf{B}, AF', T' \rangle}{\langle \mathit{new} \, S \, \mathit{in} \, A^{AF_{loc}}, AF, T \rangle \longrightarrow \langle \mathit{new} \, S \, \mathit{in} \, B^{AF' \downarrow S}, (AF' \uparrow S) \cup (AF'' \downarrow S), T' \rangle}$ where  $AF = \langle Arg, R \rangle, AF' = \langle Arg', R' \rangle$  and  $AF'' = \langle Arg, R_{\parallel Arg' \cup S} \rangle$ 

- *new S in A* behaves like *A* where arguments in *S* are local to *A*
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### Example: Multi-Agent Decision Making with Privacy Preserved problem

#### Charlie's, Alice's and Bob's beliefs<sup>1</sup>

Charlie :	$\langle Hw_{Ali},Sw_{Bob} angle$	$\underline{\langle Hw_{Bob},Sw_{Ali}\rangle} \longleftarrow W$	/rong	Suez	Urgency
Alice :	<u>Sw</u>	$\underline{Hw} \longleftarrow \mathbf{NoStock} \longleftarrow$	SpecDel		
Bob :	<u>Sw</u> ← NoTec ←	NewTwo <u>Hw</u>		NewOffice	
Public Attacks :	$SpecDel \longleftarrow Suez$	NewTwo ← Urgency	Wrong ←	— NewOffic	е

[1] Yang Gao, Francesca Toni, Hao Wang, Fanjiang Xu: Argumentation-Based Multi-Agent Decision Making with Privacy Preserved. AAMAS 2016: 1153-1161

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Acceptable solutions:

$$Sol = \{ \langle C : \langle Hw_{Ali}, Sw_{Bob} \rangle, A: \underline{Hw}, B: \underline{Sw} \rangle, \langle C : \langle Sw_{Ali}, Hw_{Bob} \rangle, A: \underline{Sw}, B: \underline{Hw} \rangle \}$$

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#### tcla for DMPP

- We can write a tcla program emulating a DMPP problem using N tcla agents in parallel
  - Each agent builds its local framework by using an *add* step
  - The computation starts in the initial public argumentation framework

$$\begin{split} AFd &= \langle \quad \{ \textit{ SpecDel, Suez, NewTwo, Urgency, Wrong, NewOffice,} \\ &\quad \langle C: \underline{\langle Hw_{Ali}, Sw_{Bob} \rangle}, A:\underline{Hw}, B:\underline{Sw} \rangle, \ \langle C: \underline{\langle Sw_{Ali}, Hw_{Bob} \rangle}, A:\underline{Sw}, B:\underline{Hw} \rangle \} \\ &\quad \{ (\textit{Suez, SpecDel}), (\textit{Urgency, NewTwo}), (\textit{NewOffice, Wrong}) \} \, \rangle. \end{split}$$

#### Example

 $\mathcal{T}(Charlie) =$ 

 $\textit{new}\left(\{\underline{\langle Hw_{Ali}, Sw_{Bob} \rangle}, \underline{\langle Hw_{Bob}, Sw_{Ali} \rangle}\}\right) \textit{ in } T_C(\underline{\langle Hw_{Ali}, Sw_{Bob} \rangle}, \underline{\langle Hw_{Bob}, Sw_{Ali} \rangle})^{AFp_{Charlie}})$ 

$$\begin{split} T_{C}(\underline{\langle \mathsf{Hw}_{Ali},\mathsf{Sw}_{Bob}\rangle},\underline{\langle \mathsf{Hw}_{Bob},\mathsf{Sw}_{Ali}\rangle}) &= \\ c\text{-}test_{1}(\underline{\langle \mathsf{Hw}_{Ali},\mathsf{Sw}_{Bob}\rangle}, \textit{in, adm}) \rightarrow \\ ( \ add(\{C: \underline{\langle \mathsf{Hw}_{Ali},\mathsf{Sw}_{Bob}\rangle}\}, \\ \{(C: \underline{\langle \mathsf{Hw}_{Ali},\mathsf{Sw}_{Bob}\rangle}, \langle C: \underline{\langle \mathsf{Hw}_{Bob},\mathsf{Sw}_{Ali}\rangle}, A: \underline{\mathsf{Sw}}, B: \underline{\mathsf{Hw}}\rangle)\}) \rightarrow \\ ( \ (c\text{-}test_{1}(\langle C: \underline{\langle \mathsf{Hw}_{Bob}, \mathsf{Sw}_{Ali}\rangle}, A: \underline{\mathsf{Sw}}, B: \underline{\mathsf{Hw}}\rangle, \textit{in, adm}) \lor \\ c\text{-}test_{1}(\langle C: \underline{\langle \mathsf{Hw}_{Ali}, \mathsf{Sw}_{Bob}\rangle}, A: \underline{\mathsf{Hw}}, B: \underline{\mathsf{Sw}}\rangle, \textit{in, adm}) \lor \\ ( \ add(\{tok_{A}\}, \emptyset) \rightarrow \\ ( \ add(\{tok_{A}\}, \emptyset) \rightarrow \\ ( \ c\text{-}teck_{\infty}(\{gd\}, \emptyset) \rightarrow success + \\ c\text{-}c\text{-}ceck_{\infty}(\{gd_{C}\}, \emptyset) \rightarrow rmv(\{ngd_{C}, C: \underline{\langle \mathsf{Hw}_{Ali}, \mathsf{Sw}_{Bob}\rangle}\}, \emptyset) \rightarrow \\ T_{C}(\underline{\langle \mathsf{Hw}_{Bob}, \overline{\mathsf{Sw}_{Ali}\rangle}))))) \end{split}$$

 $+_P$ 

. . .

#### Translation

- *Agent*<sub>1</sub> checks whether its preferred action choice *a* is globally feasible ctest(1,{a},IN,admissible)
- If this is the case,  $Agent_1$  adds the  $Agent_1$ : *a* to the public AF and checks its partial consistency, namely  $\exists s \in Sol \mid ctest(1, \{s\}, IN, admissible)$ 
  - If Agent<sub>i</sub>:a is consistent, either continues with other agents or terminate with success
  - If *Agent*<sub>*i*</sub>:*a* is not consistent, *Agent*<sub>*i*</sub> removes it from the public AF
- If no action is found which can be extended to find a solution, the computation terminates with failure

 Functionalities of the Timed Concurrent Language for Argumentation which can be used to implement decisionmaking processes

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- Illustrative example demonstrating how the Timed Concurrent Language for Argumentation can be used for modelling DMPP problems
- Automatic translation from a DMPP problem to a tcla program

 Explore other features of tcla to simplify the construction of the models and achieve more natural interactions with the native constructs

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- Further develop illustrative examples to showcase the system's effectiveness and highlight limitations across various scenarios
- Extend tcla to model real-world applications where agents can coordinate autonomously and concurrently without being bound to a fixed agent ordering
- Endow the agents with a notion of ownership to establish which actions can be performed on the shared arguments

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#### Thank you for your attention!